

Group Theory. A Physicist's Survey, P. Ramond (Cambridge University Press): Errata

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These errata have not been reviewed by the author nor the editor and I may have made some mistakes. Colors red and blue are respectively used to highlight the error and its correction (if necessary).

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- p. 10 (§1): “By Lagrange’s theorem, k must be a **multiple of n** , the order of the group \mathcal{G} .” \rightarrow divisor of N .
- p. 15 (sec. “Groups of order 12”): “(…) the isomorphism $\mathcal{Z}_{12} = Z_4 \times Z_3$ **obtains**, and also (…)” \rightarrow “(…) **one obtains** the isomorphism $\mathcal{Z}_{12} = Z_4 \times Z_3$, and also (…)”
- p. 27 (§2): “Hence a group can be perfect” \rightarrow “Hence a **non-simple** group can be perfect”
- p. 80 (last §): “this algebra contains $(2j+1)$ ” \rightarrow “this algebra contains $(2j+1)$ **states**”
- p. 90 (below eq. 5.73): “of the raising operator L ” $\rightarrow L^+$
- p. 146 (eq. 8.9): $\bar{T}_{ab} = T_{ab} \rightarrow \bar{T}_{ab} = T^{ab}$
- p. 156 (sec. 8.5.2): “the spinor structure of $SO(2n-1)$ ” $\rightarrow SO(2n+1)$
- p. 209 (middle): $[Ad(E_{\alpha_i})] \rightarrow [Ad(E_{\alpha_i})]$
- p. 263 (table): $Z \rightarrow C$

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